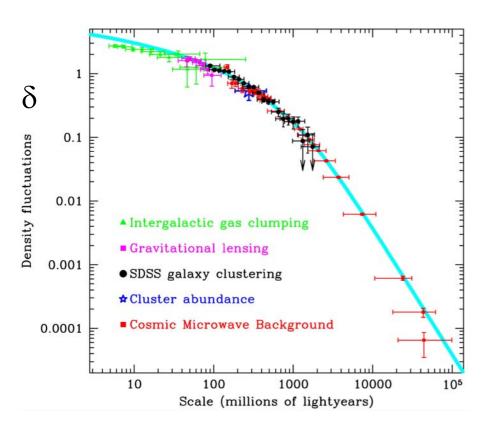
# MOVING DARK ENERGY AND THE CMB DIPOLE

**ANTONIO L. MAROTO** 

UNIVERSIDAD COMPLUTENSE DE MADRID

## **Standard Cosmology**

# Homogeneity and isotropy on very large scales Cosmological Principle $\longrightarrow$ $V_{Matter} = V_{CMB}$

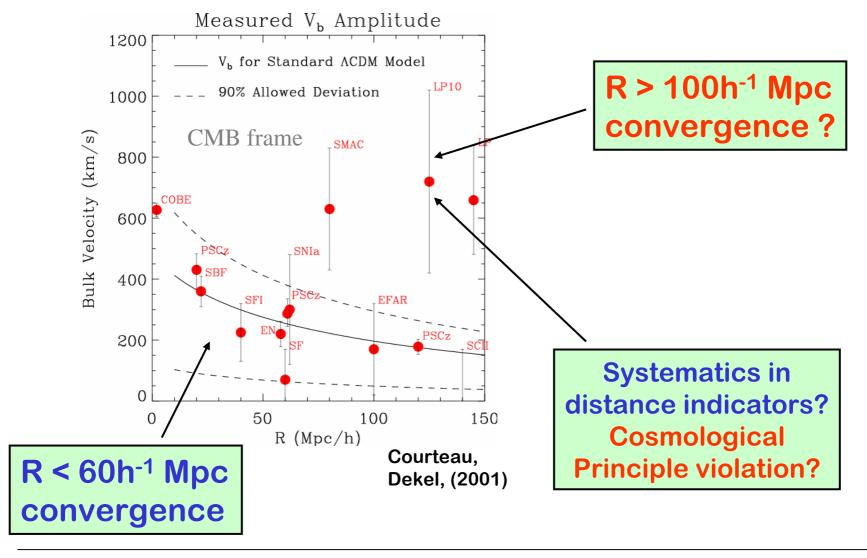


## **Density fluctuations**

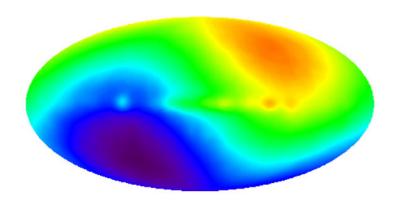
$$\nabla \cdot v = -H_0 \Omega_M^{0.6} \delta(x)$$

**Peculiar velocities** 

## Peculiar velocity surveys



## **Bulk flows and the CMB dipole**



$$\left. \frac{\delta T}{T} \right|_{dipole} = \vec{n} \cdot (\vec{v}_{dec} - \vec{v}_0)$$

Bulk flow  $V_b = velocity$  of a matter volume with respect to an observer who measures a vanishing CMB dipole

What if the dipole is not kinematic? Paczynski, Piran, Turner ('90)

Does dark energy affect the CMB dipole?

A.L.M., JCAP 05 (2006) 015

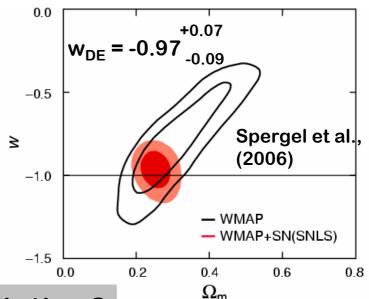
## **Dark energy**

## Accelerated expansion (SN Ia) p<0

Equation of state  $w_{DE} < -0.78$  (WMAP1)

 $\Lambda$ , quintessence, k-essence, ... ?

Nature:



w<sub>DE</sub>: constant, scaling,...?

Clustering properties?

Decoupled from matter and radiation?

Are there dark energy bulk motions?

## Cosmology with moving dark energy

Four homogeneous fluids (decoupled from recombination):

Radiation:  $(\rho_R, p_R, v_R)$   $w_R=1/3$ 

Baryons:  $(\rho_B, p_B, v_B)$   $w_B=0$ 

Dark Matter:  $(\rho_{DM}, \rho_{DM}, v_{DM})$   $w_{DM} = 0$ 

Dark energy:  $(\rho_{DE}, p_{DE}, V_{DE})$   $w_{DE} = w_{DE}(z)$ 

$$(T^{\mu}_{\ \nu})_{\alpha} = (\rho_{\alpha} + p_{\alpha})u^{\mu}_{\alpha}u_{\nu\alpha} - p_{\alpha}\delta^{\mu}_{\ \nu}$$

# Linear regime:

$$\vec{v}_{\alpha}^{\,2}\ll 1$$

$$\rho_{\alpha} = \rho_{\alpha}(\eta), 
p_{\alpha} = p_{\alpha}(\eta), 
u_{\alpha}^{\mu} = \frac{1}{a}(1, v_{\alpha}^{i}(\eta))$$

 $\alpha = R, B, DM, DE$ 

zero-modes

## Cosmology with moving dark energy

#### Perturbed metric (linear regime)

$$ds^2 = a^2(\eta) \left( d\eta^2 + 2S_i(\eta) d\eta dx^i - \delta_{ij} dx^i dx^j \right)$$

#### Total energy-momentum tensor

$$T^{0}_{0} = \sum_{\alpha} \rho_{\alpha}$$

$$T^{0}_{i} = \sum_{\alpha} (\rho_{\alpha} + p_{\alpha})(S_{i} - v_{i\alpha})$$

$$T^{i}_{0} = \sum_{\alpha} (\rho_{\alpha} + p_{\alpha})v^{i}_{\alpha}$$

$$T^{i}_{j} = -\sum_{\alpha} p_{\alpha} \delta^{i}_{j}$$

DSU 2006

## Cosmology with moving dark energy

#### **Einstein equations**

$$\vec{S} = \frac{\sum_{\alpha} (\rho_{\alpha} + p_{\alpha}) \vec{v}_{\alpha}}{\sum_{\alpha} (\rho_{\alpha} + p_{\alpha})}$$

"cosmic center of mass velocity"

"inertial mass density"

#### **Momentum conservation**

$$|\vec{S} - \vec{v}_{\alpha}| \propto a^{3w_{\alpha} - 1}$$

## **Effects on the CMB dipole**

#### Perturbed photon energy

$$\mathcal{E} \simeq \frac{E}{a} \left( 1 + \frac{d\delta x^{0}}{d\eta} + \vec{n} \cdot (\vec{S} - \vec{v}) \right)$$

#### **CMB** dipole

$$\left| \frac{\delta T}{T} \right|_{dipole} = \left| \frac{\widehat{\mathcal{E}}_0 - \widehat{\mathcal{E}}_{dec}}{\widehat{\mathcal{E}}_{dec}} \simeq \vec{n} \cdot (\vec{S} - \vec{v}) \right|_{dec}^0$$
"center of mass motion"

## **Effects on the CMB dipole**

## **Today** only matter and dark energy contribute to S<sub>0</sub>

$$\vec{S}_0 - \vec{v}_0 \simeq rac{\Omega_M (\vec{v}_M^0 - \vec{v}_0) + (1 + w_{DE}^0) \Omega_{DE} (\vec{v}_{DE}^0 - \vec{v}_0)}{1 + w_{DE}^0 \Omega_{DE}}$$

## At decoupling only matter and radiation contribute to S<sub>dec</sub>

$$ec{S}_{dec} - ec{v}_{dec} \simeq rac{\Omega_{DM}}{\Omega_{M}} (ec{v}_{DM}^{dec} - ec{v}_{B}^{dec})$$
 emitter

## Matter bulk flows and moving dark energy

In the absence of dark energy ( $\Omega_{DE} = 0$ ) or for a pure cosmological constant ( $\mathbf{w}_{DE} = -1$ ).

$$\left. \frac{\delta T}{T} \right|_{dipole} \simeq \vec{n} \cdot (\vec{v}_M^0 - \vec{v}_0)$$

Vanishing dipole in the matter rest frame, i.e. very large scale bulk flows are not possible

## Matter bulk flows and moving dark energy



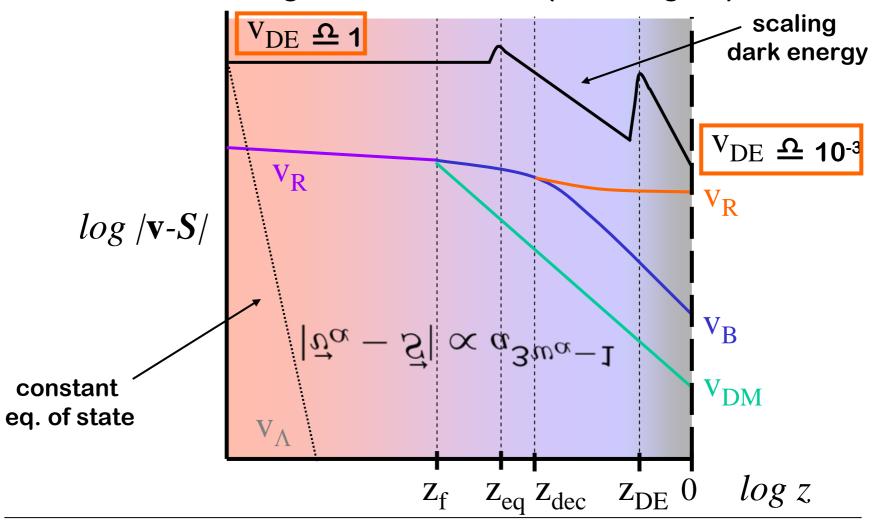
Matter bulk flows on the largest scales require moving dark energy (Ω<sub>DF</sub> ⊕ 0, w<sub>DF</sub> ⊕ -1 and v<sub>DF</sub> ⊕ v<sub>M</sub>)

$$\vec{V}_b \simeq \frac{(1+w_{DE}^0)\Omega_{DE}}{1+w_{DE}^0\Omega_{DE}}(\vec{v}_M^0 - \vec{v}_{DE}^0) + \frac{\Omega_{DM}}{\Omega_M}(\vec{v}_{DM}^{dec} - \vec{v}_{B}^{dec})$$

non-vanishing for moving dark energy

## A primordial dark energy flow?

#### Scaling of fluids velocities (linear regime)



#### Conclusions

The usual interpretation of CMB dipole is not appropriate when moving dark energy is present

CMB dipole due to the motion of observer (emitter) w.r.t the cosmic center of mass

Matter bulk flows on the largest scales require moving dark energy

A primordial dark energy flow could have survived until present in scaling models

Further evidence of DE bulk motion required (work in progress with J. Beltrán)

<mark>OSU 2006</mark>